

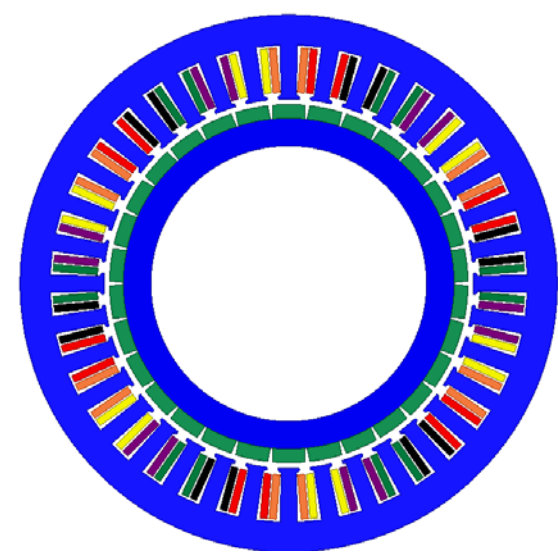
# Drive Cycle Based Performance Assessment of Multi-phase PMSM for Direct-drive EV Application

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## Abstract

- ❖ Investigation of specifications for the target electric vehicle (C-Max)
- ❖ Electric vehicle model development including multi-phase permanent magnet synchronous motor (PMSM)
- ❖ Vehicle simulation for urban and highway drive-cycle to determine whether the developed PMSM meets the drive-cycle requirements



Electromagnetic model of multi-phase PMSM

2017 Ford C-Max Energi SE

## Vehicle Dynamics Model

### Equations used for vehicle dynamics model

Rolling resistance force:

$$F_r = mg \cos \alpha \times f_r$$

$$f_r = 0.0136 + 0.4 \times 10^{-7} v^2 \quad (v > 93 \text{mph})$$

Grading resistance force:

$$F_g = mg \sin \alpha$$

Aerodynamic drag force:

$$F_a = 0.5 \rho A_f C_D (v - v_{win})^2$$

Wheel speed and vehicle speed:

$$v_w = r_{eff} \omega_m \quad \& \quad v = v_w (1 - \lambda)$$

Vehicle dynamic equation:

$$m r_{eff} \dot{\omega}_m = F_t - F_r - F_g - F_a$$

Total force acting on the wheels:

$$F_t = m r_{eff} \dot{\omega}_m + F_r + F_g + F_a$$

Wheel rotational dynamic equation:

$$I_w \dot{\omega}_w = T_w - r_{eff} F_t$$

$f_r$	Rolling resistance coefficient
$g$	Gravitational acceleration
$\alpha$	Road gradient
$\rho$	Mass density of air
$A_f$	Vehicle frontal area
$C_D$	Aerodynamics coefficient
$v$	Vehicle speed
$v_w$	Wheel speed
$v_{win}$	Winds speed
$\lambda$	Wheel slip ratio
$m$	Mass of the vehicle
$r_{eff}$	Wheel effective radius
$\dot{\omega}_m$	Acceleration of motor
$\dot{\omega}_w$	Acceleration of wheel

Torque on the wheels:

$$T_w = I_w \dot{\omega}_w + m r_{eff}^2 \dot{\omega}_m + r_{eff} (F_f + F_g + F_a)$$

Transmission dynamic equation:

$$I_t \dot{\omega}_t = T_t - R T_w \quad (\omega_t = \omega_m)$$

Torque on the transmission:

$$T_t = (I_t + I_w + m r_{eff}^2) \dot{\omega}_m + r_{eff} (F_f + F_g + F_a)$$

Motor dynamic equation:

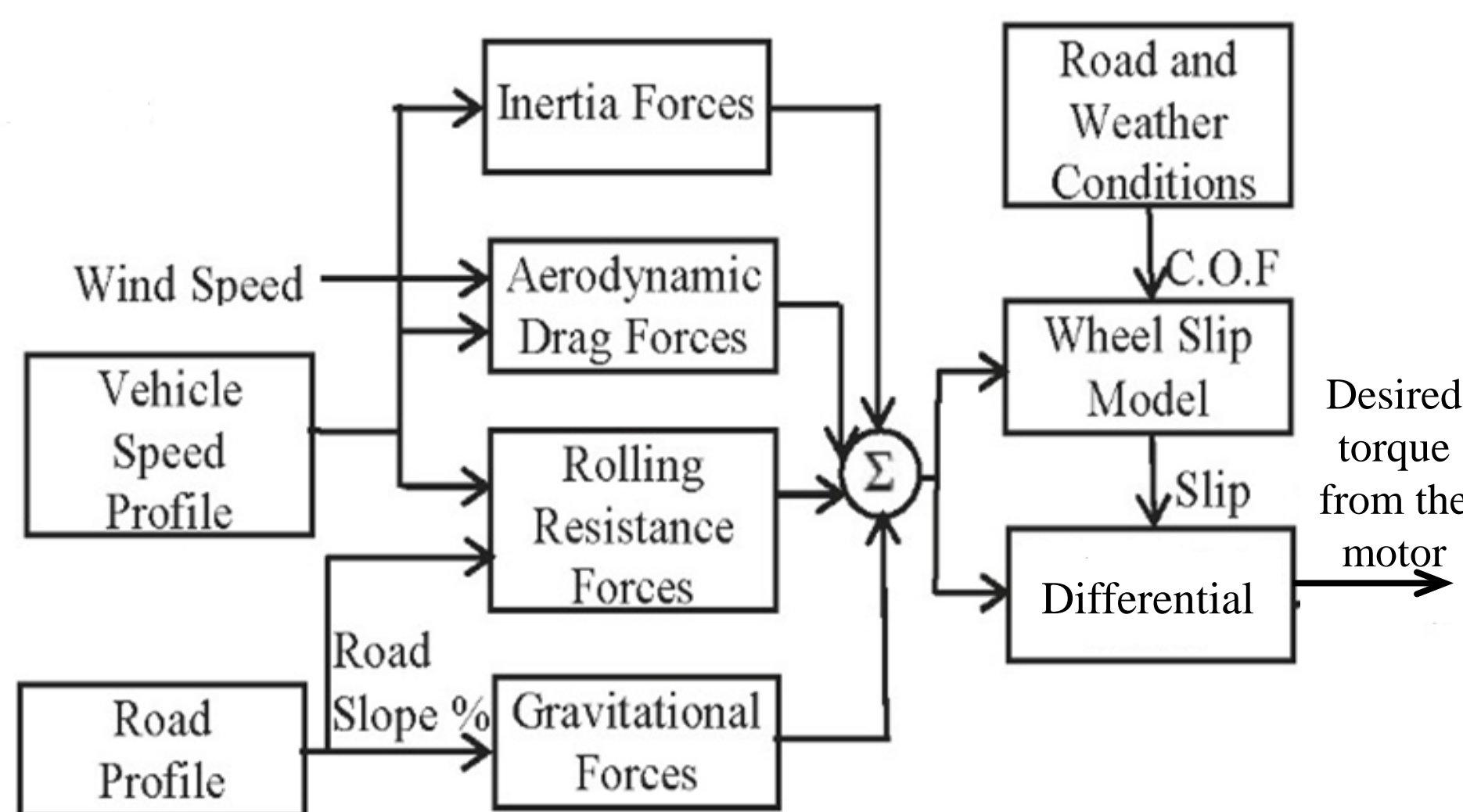
$$I_m \dot{\omega}_m = T_m - T_t$$

Torque on the motor:

$$T_m = [I_m + I_t + I_w + m r_{eff}^2] \dot{\omega}_m + r_{eff} (F_f + F_g + F_a)$$

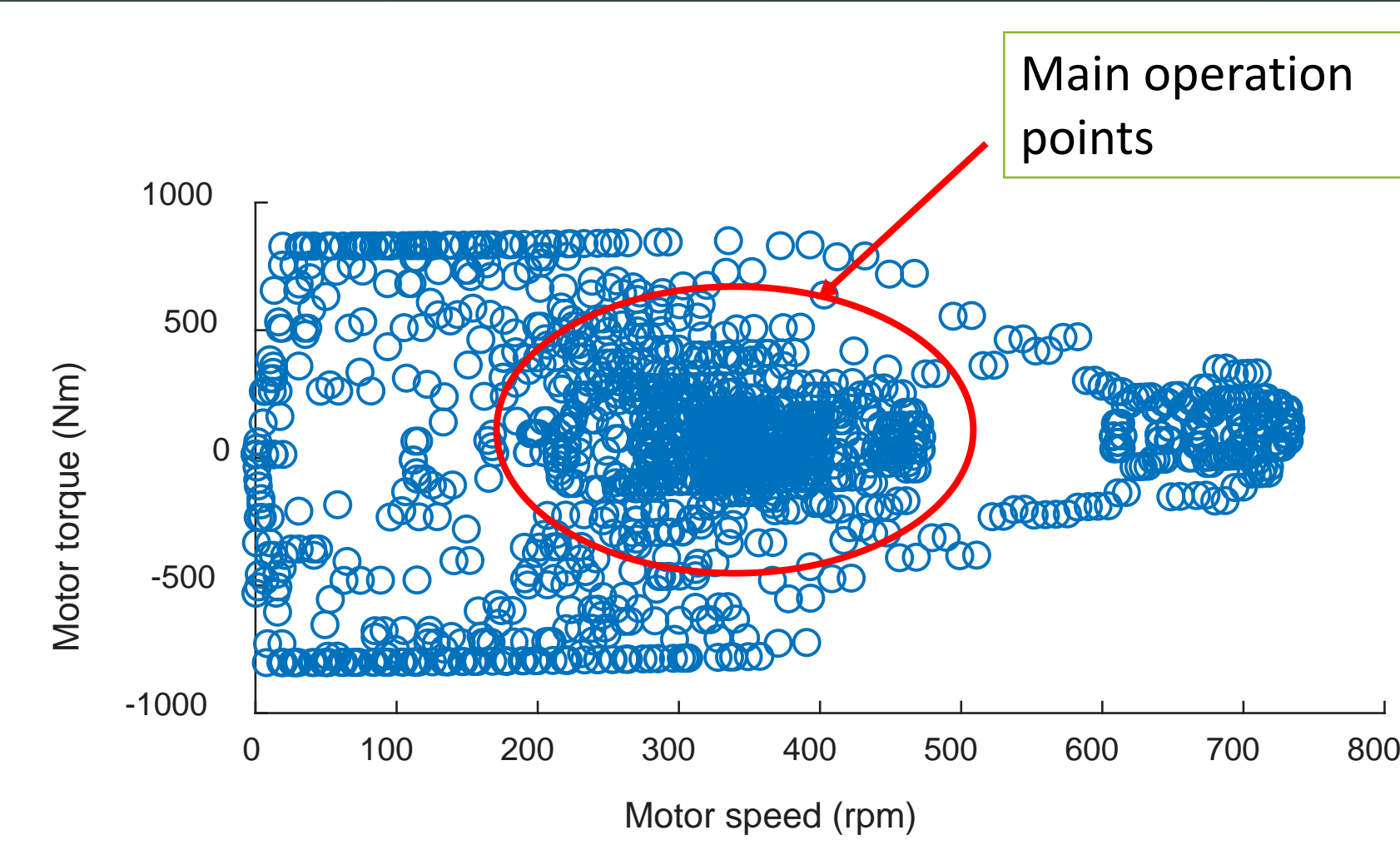
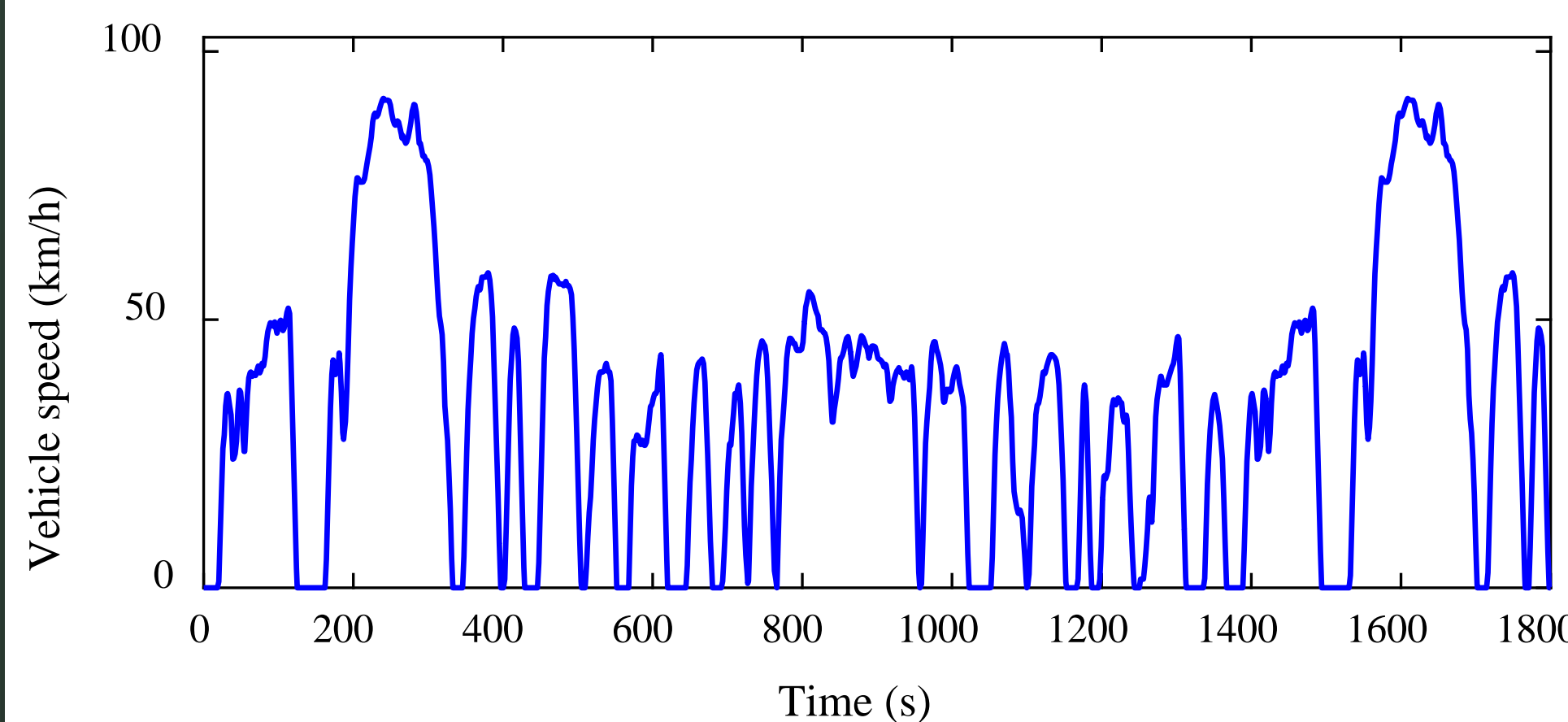
$\dot{\omega}_t$	Acceleration of transmission
$F_t$	Total force on wheels
$F_f$	Rolling resistance force
$F_g$	Gravitational force
$F_a$	Aerodynamics force
$I_w$	Wheel inertia
$I_t$	Motor inertia
$I_m$	Transmission inertia
$T_w$	Torque on the wheels
$T_t$	Torque on the transmission
$T_m$	Torque on the motor

### The Schematic of vehicle dynamics model for obtaining desired torque from the motor

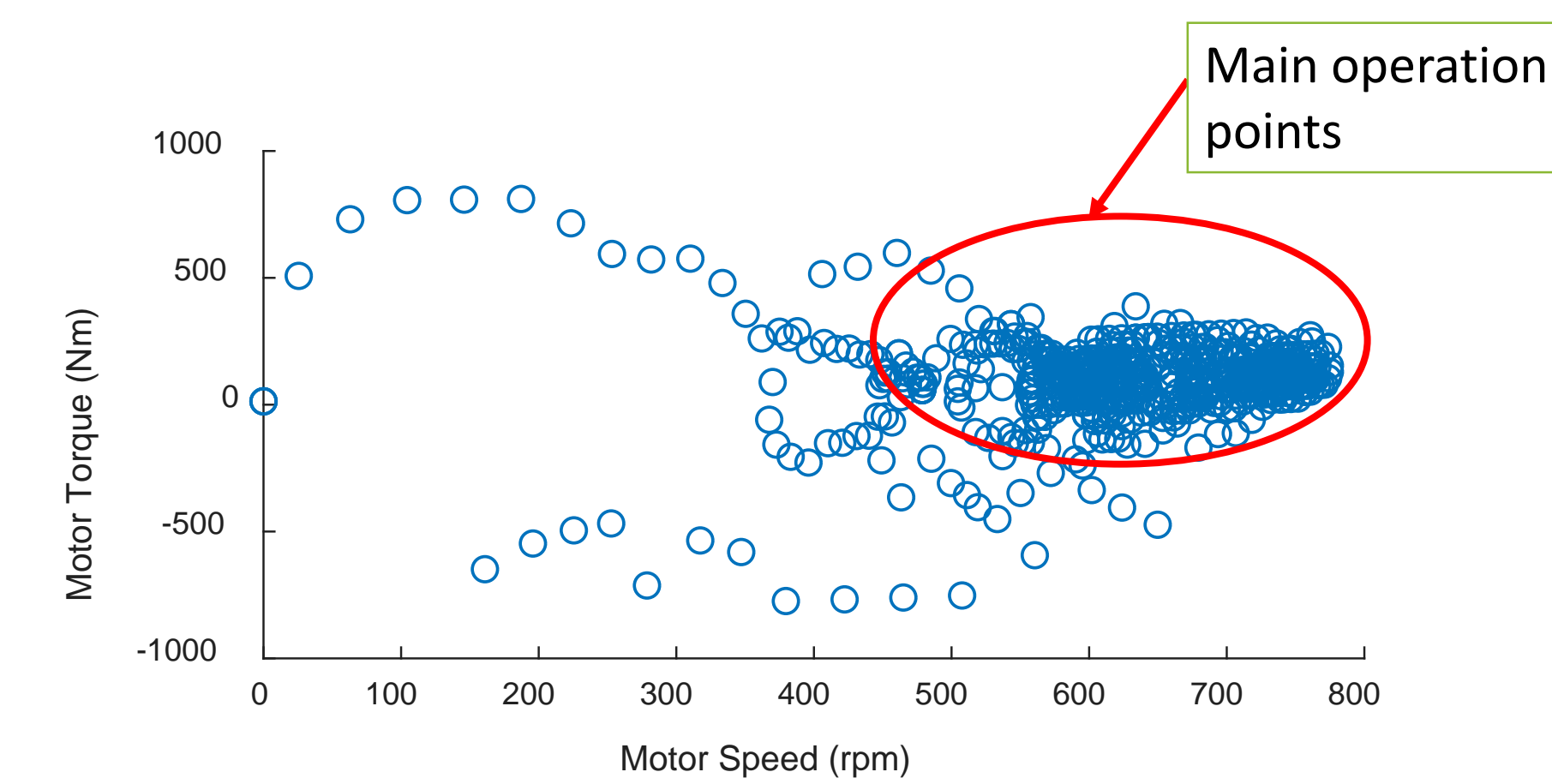
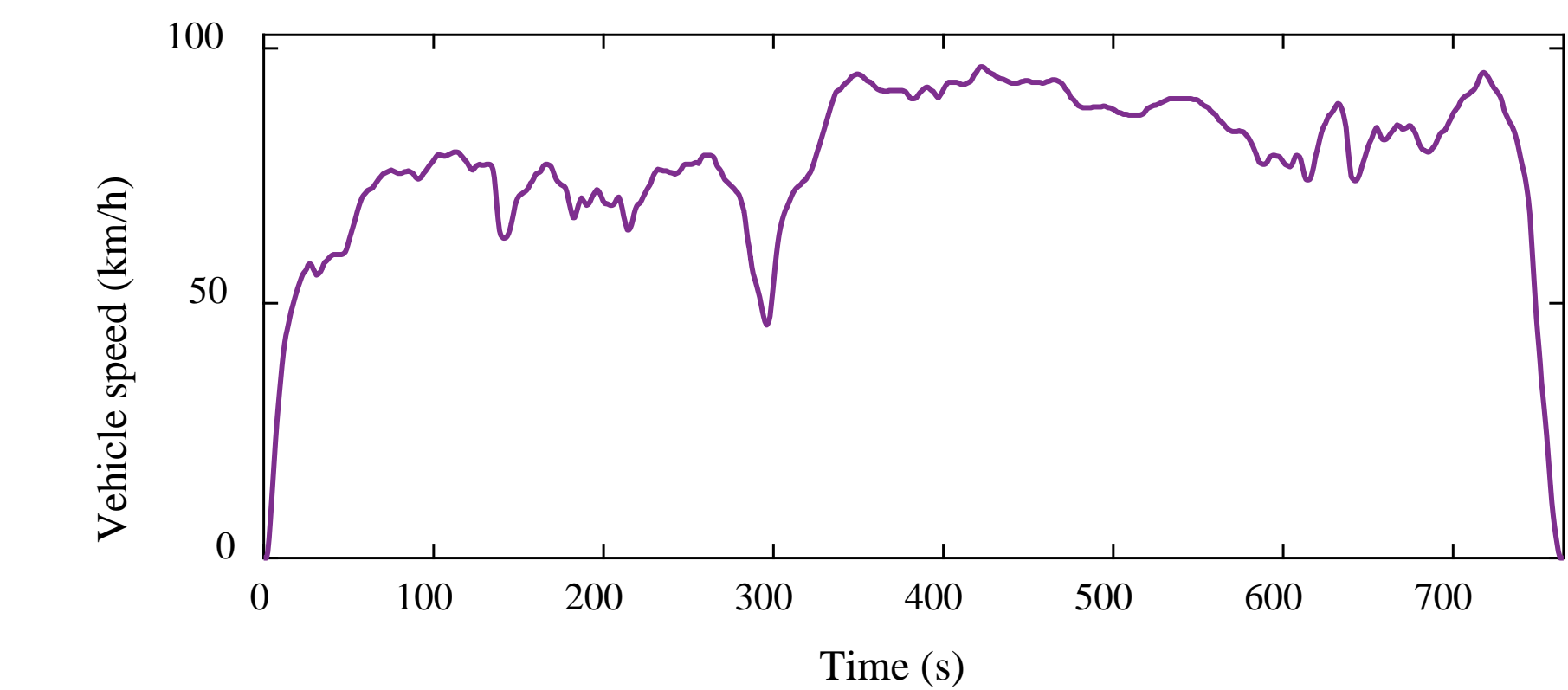


## Evaluation of Motor Performance for Urban and Highway Driving Conditions

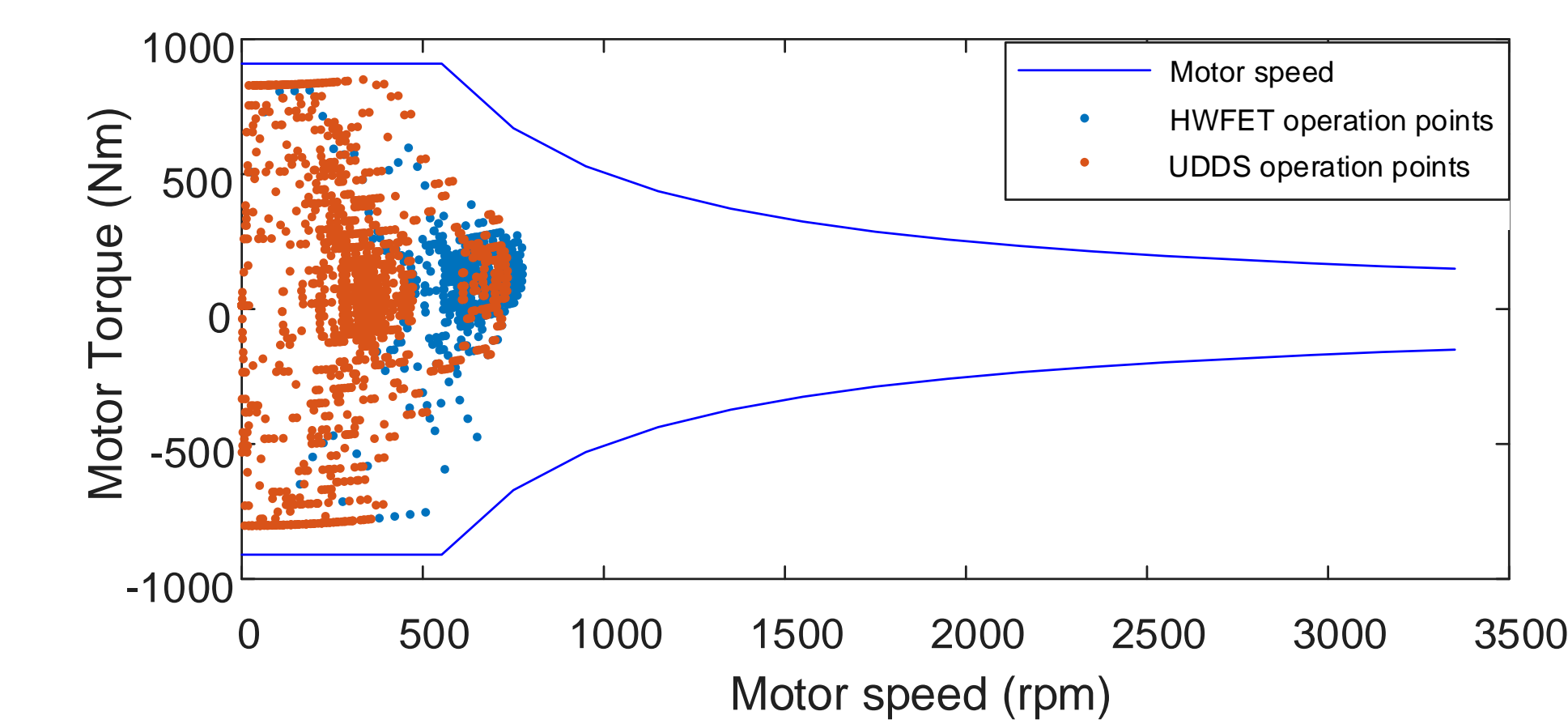
### Urban Dynamometer Driving Schedule (UDDS) drive cycle and the required operation points for the multi-phase PMSM



### The Highway Fuel Economy Test (HWFET) drive cycle and the required operation points for the multi-phase PMSM

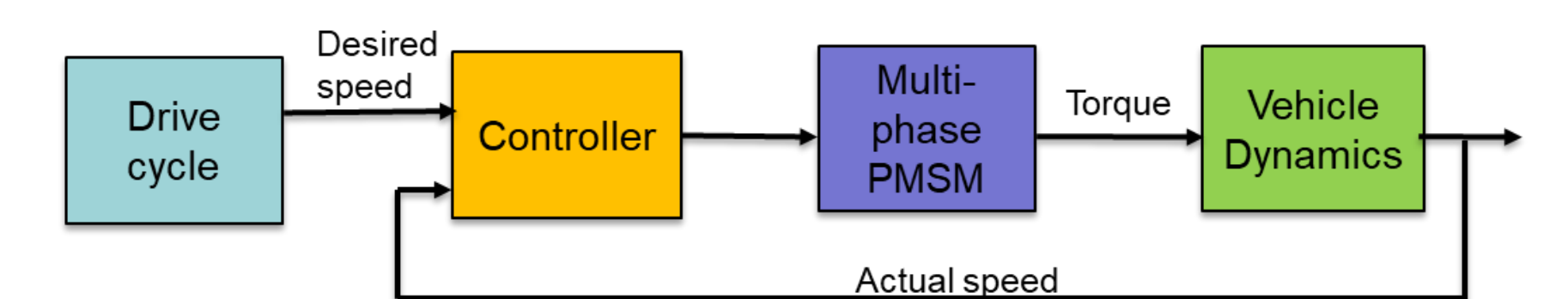


### The torque-speed points of multi-phase PMSM for HWFET and UDDS drive cycle

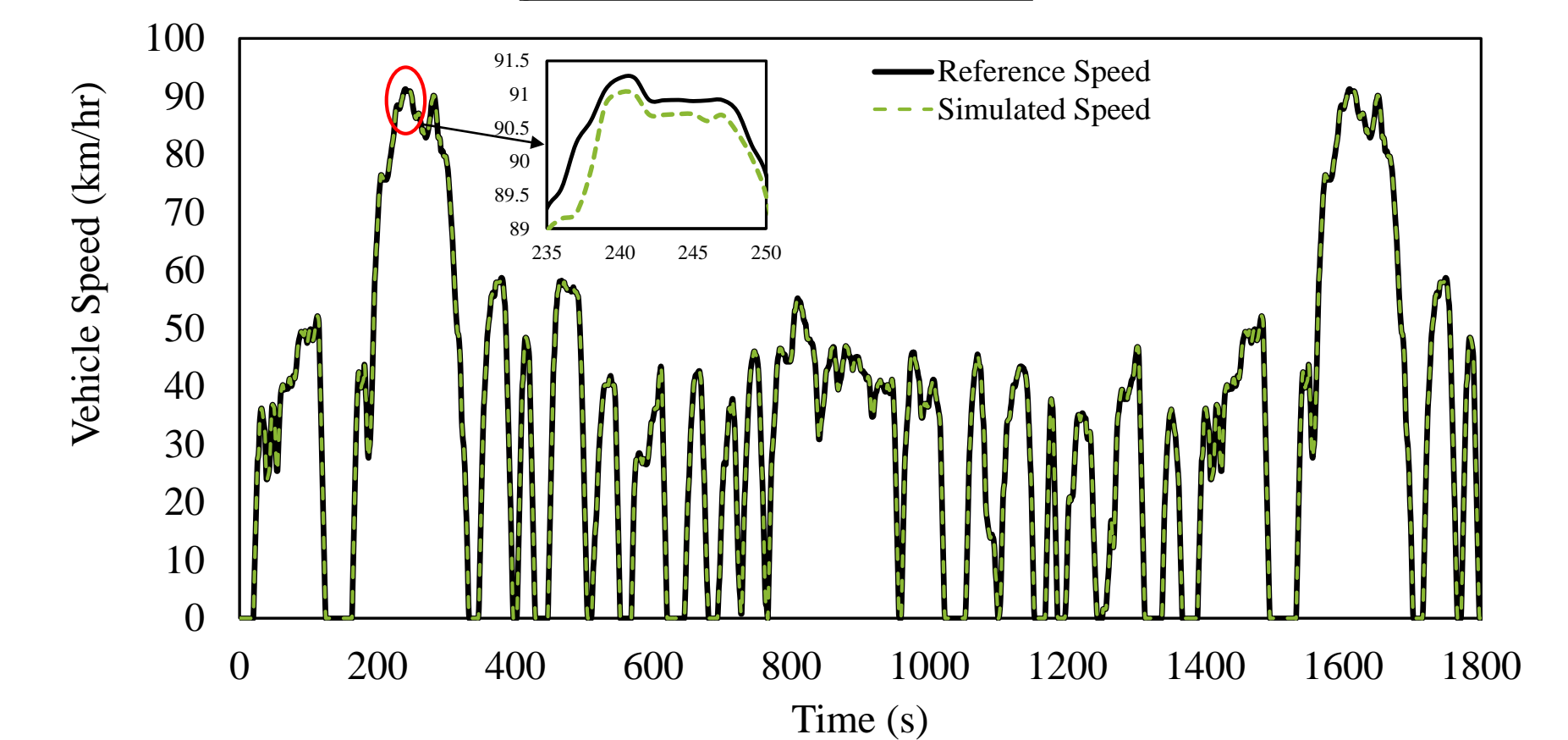


## Vehicle Level Evaluation

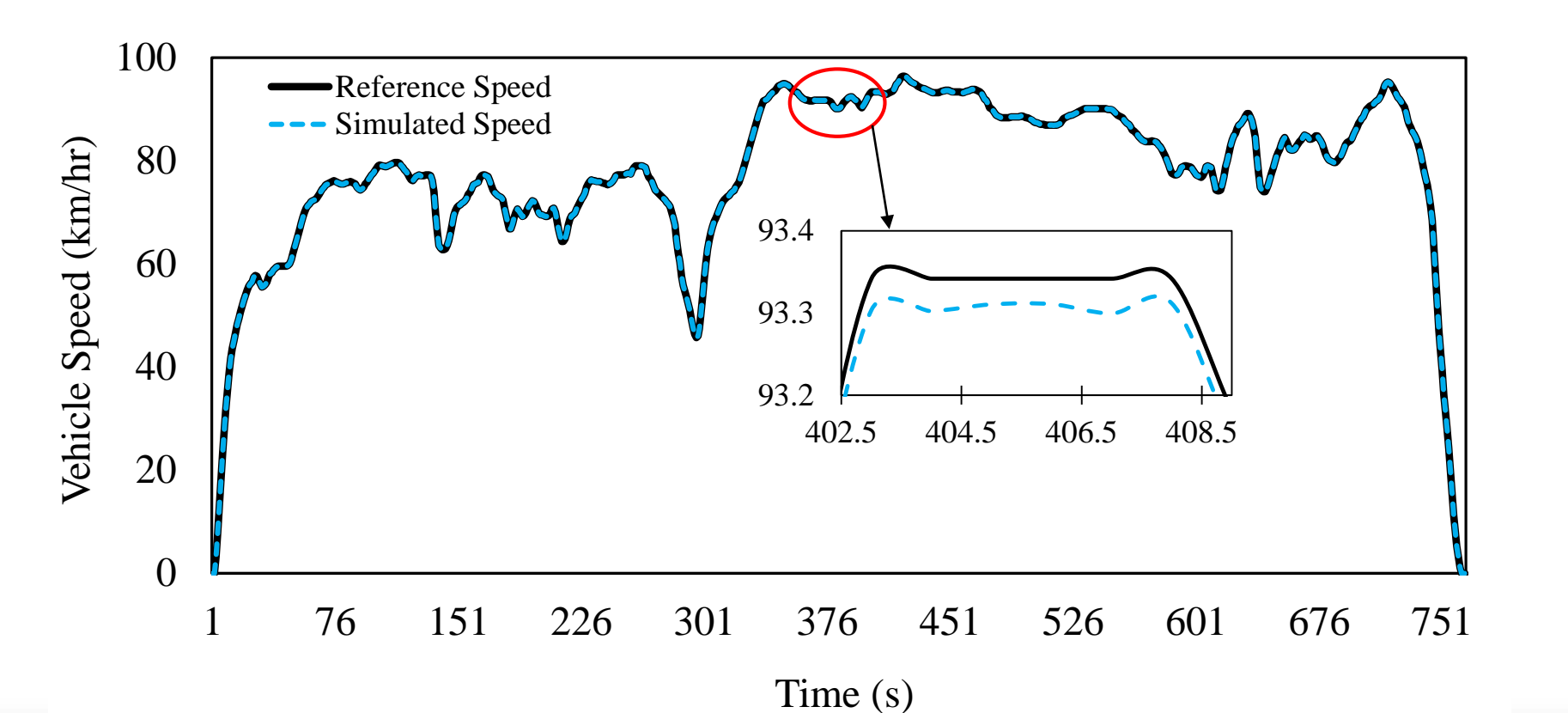
### The Schematic of Speed tracking model



### Speed tracking characteristics of the vehicle employing multi-phase PMSM for UDDS



### Speed tracking characteristics of the vehicle employing multi-phase PMSM for HWFET



## Conclusion and Future Work

❖ Conclusion:

- The results show that the multi-phase PMSM has the capability of delivering the torque-speed operation points for UDDS and HWFET
- From the simulation results, the proposed motor is able to drive the vehicle in urban and highway driving conditions

❖ On-going and Future work:

The other performance characteristics of multi-phase PMSM, such as efficiency, maximum speed, and acceleration time for different driving conditions will be analyzed.